### Microeconomics and mathematics (with answers)

## 2 Changes in demand and supply; taxes and price controls

#### Remarks:

The quantity demanded depends on the price of the good (for example:  $Q_d = 1000 - 5P$ ). Other factors, like income, prices of other goods, tastes are unchanged (so-called ceteris paribus-condition). If we take notice of these factors, the demand function could be:  $Q_d = 1000 - 5P$ If we want to graph the demand (Quantity on the x-axis, price on the y-axis), we transform the equation as follows:  $Q_{d} = 1000 - 5P$ 5P = 1000 - Qd  $P = 200 - 0.2Q_d$ A change in income or in the price of other goods would change the intercept and shift the demand curve. The new demand curve would be parallel to the old one. A change in taste could change the intercept or the slope. Similarly, the quantity supplied does not only depend on the price. Other factors are the cost of production, the technology or the regulations by the government. 2.1 Changes in demand 2.11 Graph the demand function:  $P = 200 - 0.2Q_d$ 2.12 Due to an increase in income, the intercept rises to 250. Complete the graph. 2.13 After 2.12: Due to a change in tastes, the slope rises to 0.25. Complete the graph. Changes in demand and in supply 2.2  $P = 150 - 5Q_{d}$ Demand:  $P = 60 + 4Q_S$ Supply: The following developments are observed: Income increases, hence  $P = 200 - 5Q_d$ Production costs decrease, hence  $P = 20 + 4Q_S$ • 2.21 Graph the old and the new situation in the same diagram. 2.22 Calculate the old and the new market equilibrium. 2.23 Discuss the changes in P and in Q.

2.3	Effects of a per unit tax				
	2.31 Situation on a 'no tax'-market: Demand: $P = 32 - 8Q_d$ Supply: $P = 12 + 2Q_S$ Calculate the market equilibrium.				
	2.32 Now a tax is introduced. The seller has to pay a tax of 2 out of the price received. New supply: $(P^* - 2) = 12 + 2Q_S$ [P* = Gross receipt (new price)] Calculate the market equilibrium with tax.				
	Who bears how much of the new tax (tax incidence)?				
	2.34	Calculate total tax receipt.			
	2.35 Graph the market without tax and with tax in the same diagram.				
2.4	Effects of a proportional tax				
	'No tax'-situation (as in 2.31): Demand: $P = 32 - 8Q_d$ Supply: $P = 12 + 2Q_s$				
	Now a 10%-tax is introduced. It has to be paid by the seller out of the gross receipt $P^*$ (= 100 %).				
	2.41 Formulate the new supply function ( $P^* =$ ).				
	2.42 Calculate the market equilibrium with tax.				
	2.43	Who bears how much of the new tax (tax incidence)?			
	2.44 Calculate total tax receipt.				
2.5	Maximum price				
	2.51	Graph this market and calculate the market equilibrium:			
		Demand: $Q_d = 5 - \frac{1}{4}P$			
		Supply: $Q_{S} = \frac{P}{3} - \frac{4}{3}$			
	(Hint: Before graphing, transform these functions ( $P =$ )				
	To protect consumers, the government sets a maximum price (ceiling) of 9.				
	2.52 Add the maximum price to the graph 2.51.				
	2.53 Calculate the excess demand.				

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2.6	Minimum price		
	Situation on a market: Demand: $P = 208 - 10Q_d$ Supply: $P = 80 + 6Q_s$ To favour producers, the government sets a minimum price (floor) of 150		
	2.61 Calculate the excess supply.		
	2.62 The government buys the excess supply at the minimum price. How much does the government spend?		

## $\rightarrow$ Answers. Click here!

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#### **Answers Microeconomics and mathematics**

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2.5	2.53	Excess demand:			
cont.	$\frac{1}{2}$ Maximum price = 9				
		Demand:	$9 = 20 - 4Q_{d}$		
			$4Q_{d} = 11$		
			$Q_{d} = 2\frac{3}{4}$		
		Supply:	$9 = 4 + 3Q_{S}$		
		11.5	3Q <sub>S</sub> = 5		
			$Q_{S} = 1\frac{2}{3}$		
	Excess demand = $2\frac{3}{4} - 1\frac{2}{3} = 1\frac{1}{12}$				
2.6	Minim	imum price			
		-			
	2.61	Excess supply:			
		Minimum price = 150			
		Demand:	150 = 208 - 10Q <sub>d</sub>		
			10Qd = 58		
			$Q_{d} = 5\frac{4}{3}$		
		0	450 00 00		
		Supply:	$150 = 80 + 6Q_{\rm S}$		
			$\delta Q_{\rm S} = 70$		
			$Q_{s} = 11\frac{2}{3}$		
		Excess supp	$bly = 11\frac{2}{5} - 5\frac{4}{5} = 5\frac{13}{5}$		
	$13^{-3}5^{-3}15$				
	2.62 Spending by the government:		the government:		
	$5\frac{13}{150} \times 150 - 880$				
		~15 <sup>100</sup>			

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