## **Production Possibility Frontier**

## Assumptions

1

- Only 2 goods are produced, loaves of bread (X) and articles of clothing (Y).
- The factors of production can be used in the production of any of the 2 goods. There are 500 workers.

2a An example of a production possibility frontier (PPF)				
Point	Production of bread (X)		Production of clothing (Y)	
	Number of workers	Production (tons)	Number of workers	Production (garments)
A1	0	0	500	150'000
A2	100	50'000	400	140'000
A3	200	90'000	300	120'000
A4	300	120'000	200	90'000
A5	400	140'000	100	50'000
A6	500	150'000	0	0



## **Interpretations** 3 The combinations A1 to A6 are possible and efficient. All factors of production are fully • employed. In general: All combinations on the PPF are efficient. Combination A1: Only clothing is produced. / Combination A6: Only bread is produced. • Combination **B** shows a situation of **unemployment**. B is **inefficient**. • Combination C cannot be produced and is, therefore, unattainable. • The production possibility frontier shows the Law of increasing opportunity costs: • Opportunity costs (from A1 to A6) = $\frac{\text{Loss in the production of clothing (Y)}}{\text{Gain in the production of bread (X)}}$ Example (Opportunity costs, expressed in garments per ton of bread) From A4 to A5: $\frac{40'000}{20'000} = 2.0$ From A5 to A6: $\frac{50'000}{10'000} = 5.0$ From A1 to A2: $\frac{10'000}{50'000} = 0.2$ From A2 to A3: $\frac{20'000}{40'000} = 0.5$ From A3 to A4: $\frac{30'000}{30'000} = 1.0$ In addition, the Law of diminishing returns (per worker) can be observed: Returns per worker (from A1 to A6) = $\frac{\text{Increase in the production of bread (X)}}{\text{Increase in the number of workers (X)}}$ Example (in tons of bread per worker): From A1 to A2: $\frac{50'000}{100} = 500$ From A4 to A5: $\frac{20'000}{100} = 200$ From A2 to A3: $\frac{40'000}{100} = 400$ From A5 to A6: $\frac{10'000}{100} = 100$ From A3 to A4: $\frac{30'000}{100} = 300$

